

# Weekly Updates On n u e Meeting

## Predictions for new root files in v10r5p1

Wenting Tan

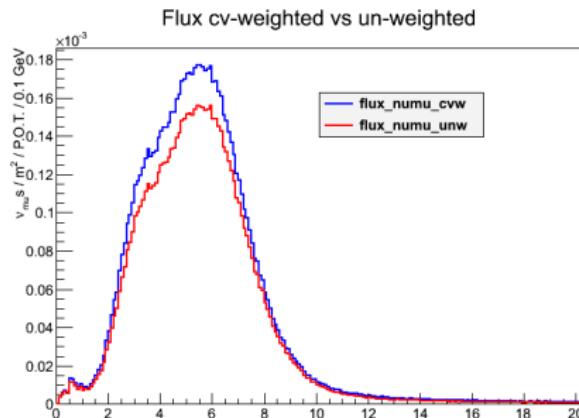
Hampton University

January 16, 2013



# ME Flux Histograms For Theoretical Prediction and Root Files For MC

MINERvA Document 8253-v1

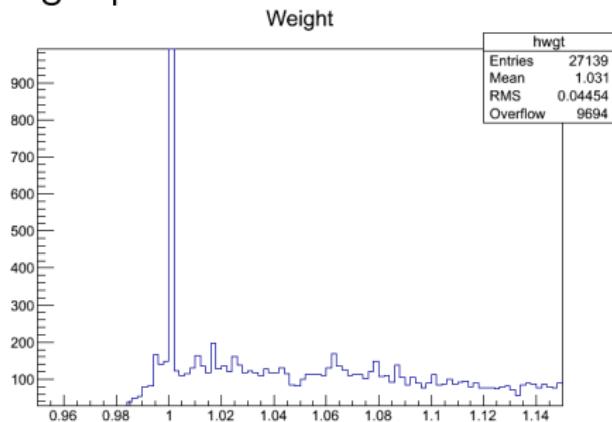


New root files in:

/minerva/data/users/dattam/NUE\_EL\_mc\_v10r5p1/grid/central\_value/minerva/  
ME; 200e20 POT; NUE\_EL;

# Weight Variable In ANA EMShower

Weight plot



# Absolute Event Rate Calculation

For 20E20 POT

Event Rate	Theoretical	MC ANA	MC Genie
Flux cv-weighted	3056	3072	2769
Flux un-weighted	2667	2685	2769

In Genie, variable wght=1

See MC selections on next page

- ▶ MC ANA Event Rates are **Integrals** of Histograms `histo_cvw` and `histo_unw` for  $\nu_\mu$ , which

*chain-*

```
>Project("histo_cvw","truth_E","wgt*(truth_fiducial_evt==1&&mc_incoming==14)")
```

*chain-*

```
>Project("histo_unw","truth_E","truth_fiducial_evt==1&&mc_incoming==14")
```

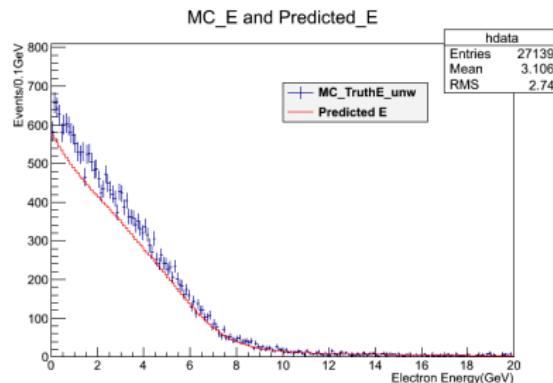
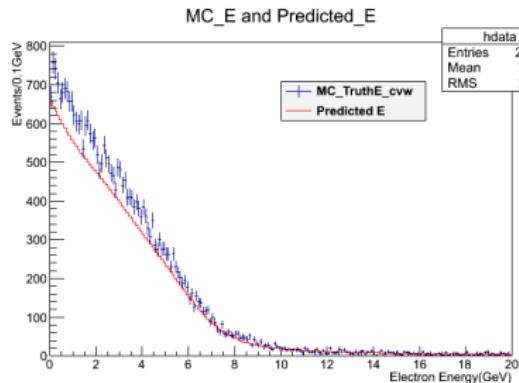
- ▶ MC Genie Event Rates are **Integrals** of Histograms `yEv_cvw` and `yEv_unw` for  $\nu_\mu$ , which

```
chain->Project("yEv_cvw","y*Ev","wght* (neu==14 && fid_cut)");
```

```
chain->Project("yEv_unw","y*Ev","neu==14 && fid_cut");
```

# Electron Spectrum Predictions

using cv-weighted(left) and unweighted(right) flux, POT normalization



# Back Ups

# Electron Spectrum Predictions

 arXiv:hep-ph/0603036v1 3Mar 2006

$$\frac{dN(T)}{dT} = Ne \times \int dE_\nu \frac{d\Phi(E_\nu)}{dE_\nu} \frac{d\sigma(T, E_\nu)}{dT}$$

Where

$$Ne = 1.98 \times 10^{30}$$

is the Number of available electrons in fiducial mass

$$\frac{d\sigma}{dT} = \frac{2G_\mu^2 m_e}{\pi E_\nu^2} [a^2 E_\nu^2 + b^2 (E_\nu - T)^2 - abm_e T]$$

$$m_e = 0.000511 \text{ GeV}$$

$$s^2 = \sin^2 \theta_w \approx 0.23149 \pm 0.00015 \text{ for } \nu_\mu, a = 1/2 - s^2; b = -s^2$$

$$G_\mu = 1.16637(1) \times 10^{-5} \text{ GeV}^{-2}, \text{ and}$$

$$\frac{2G_\mu^2 m_e}{\pi} = 1.5 \times 10^{-41} \text{ GeV}^{-1} \text{ cm}^2$$

$$\frac{dN(T)}{dT} = Ne \times \int dE_\nu \frac{d\Phi(E_\nu)}{dE_\nu} \frac{d\sigma(T, E_\nu)}{dT}$$

for the discrete case(per P.O.T):

$$\frac{\Delta N}{\Delta T} = Ne \times \sum \Delta E_\nu (\text{GeV}) \frac{\Phi_{bin} (/m^2 / P.O.T / \text{GeV})}{\Delta E_\nu (\text{GeV})} \times \frac{2G_\mu^2 m_e}{\pi} (\text{GeV}^{-1} \times 10^{-4} m^2) \times \frac{1}{E_\nu^2 (\text{GeV}^2)} [a^2 E_\nu^2 + b^2 (E_\nu - T)^2 - ab m_e T] (\text{GeV}^2)$$

For 20E20 POT, Ke and flux histograms, binsize=0.1GeV, bin from 0-1000(0-100 GeV),

$$N_{bin} (/0.1 \text{GeV}) = 20 \times 10^{20} (\text{P.O.T}) \times 0.1 (\text{GeV}) \times \frac{\Delta N}{\Delta T}$$

## code:

```
double dct=0; double T=0;
n1[0]= hFlux_xlo - ( hFlux_binWidth/2.0 );
double ss=0.23149;
double A=0.5-ss;
double B=-ss;
double y=0;
double yStep;

for (int j=1;j<=nFluxbinS;j++) {
    n1[j]= n1[j-1] + h_flux->GetBinWidth(j);
    //get flux in each Ev bin
    FluxbinS[j] = h_flux->GetBinContent(j);
    //the y bins # depends on the max Ev (which is n1[j])
    yStep=1.0/(n1[j]/yStepSize);
    y=0.5*yStep;
    for (int i=1;i<(1+(n1[j]/yStepSize));i++)
    {
        //dct: dsigma/dy
        dct=n1[j]*(A*A+B*B*(1-y)*(1-y))-A*B*0.000511*y; T=y*n1[j];
        h_elecE->Fill(T,1.98e30*1.5e-
        45*(200e20*FluxBinSize*FluxbinS[j]*dct/n1[j])*(h2_binWidth));
        y=y+yStep;
    }
}
```